## Statement of Syllabus Topics <br> Extension One HSC Course

## Series and Applications

7.4E Mathematical Induction. Applications

## Integration

11.5E Methods of integration, including reduction to standard forms by very simple substitutions.

## Trigonometric Functions

13.6E Primitive functions of $\sin ^{2} x$ and $\cos ^{2} x$.

## Applications of Calculus to the Physical World

14.1E Harder rates of change.
14.2E The equation $\frac{d N}{d t}=k(N-\mathrm{P})$
14.3E Velocity and acceleration as functions of $x$.

Applications in one and two dimensions (projectiles).
14.4E Description of simple harmonic motion from the equation

$$
x=a \cos (n t+\alpha), a>0, n>0
$$

The differential equation of the motion.

## Inverse Functions and Inverse Trigonometric Functions

15.1E Discussion of inverse function.

The functions $y=\log _{\mathrm{a}} x$ and $\mathrm{y}=\mathrm{a}^{x}$ as inverse functions. The relation

$$
\frac{d y}{d x} \cdot \frac{d x}{d y}=1
$$

15.2E The inverse trigonometric functions.
15.3E The graphs of $\sin ^{-1} x, \cos ^{-1} x, \tan ^{-1} x$.
15.4E Simple properties of the inverse trigonometric functions.
15.5E The derivatives of $\sin ^{-1}\left(\frac{x}{a}\right), \cos ^{-1}\left(\frac{x}{a}\right), \tan ^{-1}\left(\frac{x}{a}\right)$, and the corresponding integrations.

## Polynomials

16.4E Iterative methods for numerical estimation of the roots of a polynomial equation.

## Binomial Theorem

17.1E Expansion of $(1+x)^{n}$ for $n=2,3,4, \ldots$.

Pascal Triangle.
Proof of the Pascal Triangle relations.
Extension to the expansion $(a+x)^{n}$.
17.2E Proof by Mathematical Induction of the formula for

$$
{ }^{n} C_{k} \quad \text { (also denoted by }\binom{n}{k} \text { ). }
$$

17.3E Finite series and further properties of binomial coefficients.

Permutations and Combinations
18.2E Binomial probabilities and the binomial distribution.

